

veriT at SMT-COMP 2022

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veriT is a satisfiability modulo theory (SMT) solver developed at the University of Lorraine, Inria (Nancy, France), and Université de Liège (Liège, Belgium). veriT provides an open, trustable and reasonably efficient decision procedure [4] for the logic of quantifier-free formulas over uninterpreted symbols, linear real arithmetics, and the combination thereof. It also handles linear arithmetics over integers, and has quantifier reasoning using trigger-, enumeration- and conflict-based instantiation [2] as well as enumerative instantiation [7]. Recently, veriT was extended to higher order logic [3].

veriT is written in C and accepts the input formats SMT-LIB 2.6 and DIMACS. It integrates a CDCL(\mathcal{T})-based boolean satisfiability engine with a Nelson-Oppen like combination of decision and semi-decision procedures with propagation of model equalities, and implements simplifications such as symmetry-based reductions [5]. The tool is open-source and distributed under the BSD licence.

Also, veriT is proof-producing [6, 1]. Since the 2021 release of the proof assistant Isabelle/HOL can reconstruct proofs generated by veriT [9]. Isabelle/HOL users can now use veriT as a proof tactic. At SMT-COMP 2022 veriT also participates in the proof exhibition track. The solver outputs proofs in the Alethe format [8].¹ The proofs are then checked by the Alethe proof checker², a dedicated high-performance proof checker written in Rust.

Since the SMT-COMP 2020, we generate the scheduling scripts for veriT automatically. Our schedule-generator now supports multiple, nested timeouts. Hence, veriT's schedule is first optimized for a 24 second timeout and then optimized to use the remaining time optimally. The schedule generation toolbox is now publicly available³.

veriT participates in the following divisions: ALIA AUFLIA AUFLIRA LIA UF UFIDL UFLIA UFLRA QF_ALIA QF_AUFLIA QF_IDL QF_LIA QF_LRA QF_RDL QF_UF QF_UFIDL QF_UFLIA QF_UFLRA.

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¹ The current format specification is available at <https://verit.loria.fr/documentation/alethe-spec.pdf>

² Available at <https://github.com/ufmg-smite/alethe-proof-checker>.

³ Available at <https://gitlab.uliege.be/verit/schedgen/>.

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